

1. (1 point)

Evaluate the function at the specified points.

$$f(x,y) = y + xy^5, (-5,2), (4,3), (2,2)$$

At $(-5,2)$: _____

At $(4,3)$: _____

At $(2,2)$: _____

Answer(s) submitted:

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•
•

(incorrect)

2. (1 point) The function

$$f(x,y) = x^2 - y^3$$

has ___ inputs and ___ outputs. Thus it is of the form

$$f: \mathbf{R}^n \rightarrow \mathbf{R}^m$$

where $n =$ ___ and $m =$ ___.

Answer(s) submitted:

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(incorrect)

3. (1 point) Find the limits, if they exist, or type *DNE* for any which do not exist.

$$\lim_{(x,y) \rightarrow (0,0)} \frac{1x^2}{x^2 + y^2}$$

1) Along the x -axis: _____

2) Along the y -axis: _____

3) Along the line $y = mx$: _____

4) The limit is: _____

Answer(s) submitted:

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(incorrect)

4. (1 point)

Given $f(x,y) = -(6x^6y + 8xy^6)$. Compute:

$$\frac{\partial^2 f}{\partial x^2} = \underline{\hspace{2cm}}$$

$$\frac{\partial^2 f}{\partial y^2} = \underline{\hspace{2cm}}$$

Answer(s) submitted:

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(incorrect)

5. (1 point) Let $z = \sqrt{5x+5y}$. Then:

The rate of change in z at $(4,4)$ as we change x but hold y fixed is _____, and

The rate of change in z at $(4,4)$ as we change y but hold x fixed is _____.

Answer(s) submitted:

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(incorrect)

6. (1 point) Let $f(x,y) = (2x-y)^7$. Then

$$\frac{\partial^2 f}{\partial x \partial y} = \underline{\hspace{2cm}}$$

$$\frac{\partial^3 f}{\partial x \partial y \partial x} \Big|_{(4,4)} = \underline{\hspace{2cm}}$$

$$\frac{\partial^3 f}{\partial x^2 \partial y} = \underline{\hspace{2cm}}$$

Answer(s) submitted:

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(incorrect)

7. (1 point) Consider the function $f(x,y) = x^2y + y^3 - 48y$.

f has at $(0,0)$.

f has at $(0,-4)$.

f has at $(-4\sqrt{3},0)$.

f has at $(4\sqrt{3},0)$.

f has at $(0,4)$.

Answer(s) submitted:

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(incorrect)

8. (1 point) Find the critical points of the function $f(x,y) = x^2 + y^2 + 8x - 6y + 1$. List your answers as points in the form (a,b) .

Answer (separate by commas): _____

Answer(s) submitted:

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(incorrect)

9. (1 point) Find the parabola of the form $y = ax^2 + b$ which best fits the points $(1,0)$, $(4,4)$, $(5,8)$ by minimizing the sum of squares, S , given by

$$S = (a+b)^2 + (16a+b-4)^2 + (25a+b-8)^2.$$

$$y = \text{_____} x^2 + \text{_____}$$

Answer(s) submitted:

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(incorrect)

10. (1 point)

The function f has continuous second derivatives, and a critical point at $(6, -1)$.

Suppose $f_{xx}(6, -1) = 16$, $f_{xy}(6, -1) = 8$, $f_{yy}(6, -1) = 4$.
Then the point $(6, -1)$:

- A. cannot be determined
- B. is a local maximum
- C. is a saddle point
- D. is a local minimum
- E. None of the above

Answer(s) submitted:

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(incorrect)